Using Standard Candle X-ray spectra to calibrate the strongly variable MOS response

"Calibration or just a *mathematical* exercise?"

Ties together three themes....

1) Computationally quick phenomenological RMF model

2) Derivation of RMF model parameters via optimisation algorithm

3) Use of "standard candle" spectra to constrain RMF solution





Changes in the MOS redistribution: increased redistribution from higher to lower energies.







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 ~ 1 arcminute off-axis

1ES0102

0.1-0.35 keV images

 \sim On-axis



Patch position and dimensions seem to "correlate" with accumulated number of detected source photons.





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MOS Response:

3 RMF regions 0"-15", 15"-40",>40"







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3 RMF regions 0"-15", 15"-40",>40"

2 Instruments

9 Epochs

= 54 parameter files!

PSF (rmfgen default) or flat weighting to create average RMF (automatically generated in SAS)





FM1











New model avoids the time consuming integration and describes the rmf by various mathematical shapes.

Evaluation time for 2400 x 2400 array (5eV binning) ~ 3.5 seconds in IDL





Parameters which define redistribution matrix, R, have simple functions with energy.

Resolution $= \alpha_1 + \beta_1 x \operatorname{sqrt}(e0)$

$$F_{\text{Loss}} = \frac{\alpha_2}{\alpha_2} \exp(-(e0-\beta_2)/\gamma_2) \quad \text{for } \beta_2 > e0$$
$$= \frac{\alpha_2}{\beta_2} = e0$$

$$F_{Loss} = F_{Loss_peak} + F_{Loss_shelf}$$

$$F_{\text{Loss_peak}} = \alpha_3 \exp(-(e0 - \beta_3) / \gamma_3) \quad \text{for } \beta_3 > e0$$

= $\alpha_3 \qquad \beta_3 <= e0$





Basic Scheme: For a given epoch and spatial region, take set of standard spectra, S¹, S², ..., Sⁿ

 $D_i^1 = \mathbf{N}^1 \Sigma \mathbf{R}_{ij} A_j^1 \mathbf{S}_j^1$ $D_i^2 = \mathbf{N}^2 \Sigma \mathbf{R}_{ij} A_j^2 \mathbf{S}_j^2$

 $D_i{}^n = \mathbf{N}^n \Sigma \mathbf{R}_{ij} \mathbf{A}_j{}^n \mathbf{S}_j{}^n$

Adjust parameters (using tnmin algorithm) which define rmf, R, and global normalisations, N, to minimise

 $\Sigma \; ((O_i{}^1 - D_i{}^1)/\delta O_i{}^1)^2 + \Sigma \; ((O_i{}^2 - D_i{}^2)/\delta O_i{}^2)^2 + ... + \Sigma \; ((O_i{}^n - D_i{}^n)/\delta O_i{}^n)^2$





"Standard Candle" Spectral Models

1) The white dwarf CAL83

2) The isolated neutron star RXJ 1856

3) The O star Zeta Puppis

4) The SNR 1ES0102





"Standard Candle" Spectral Models

1) The white dwarf CAL83

See next slides

2) The isolated neutron star RXJ 1856

phabs * (bb + bb) (V. Burwtiz pn model)

3) The O star Zeta Puppis

Frank Haberl's RGS model

4) The SNR 1ES0102

The IACHEC WG model (Plucinsky et al.)







Example Epoch: Revolution 0795-0900

On-axis, "patch affected"

Standards:

RXJ1856 (Rev 878) Puppis (Rev 795) 1E0102 (Rev 894-900)

Test Sources:

H1426 (BL Lac) (Rev 939)



















Conclusions:

1) The MOS has a strongly variable on-axis response and needs to calibrated against "something" given that we have no physical model of the response which explains the changes we see.

2) The best we can do is probably pick models of astrophysical sources for which there is some consensus within the community of what these models should be....i.e. so-called "standard candles"

3) We have a mathematical model of the response which looks to give a good fit to a chosen subset of these "standard candles"

4) If we adopt this route we need to make the ALL the "standard candle" models publically available to the community (i.e. XSPEC xcm files) with documentation as to how these models were derived.



